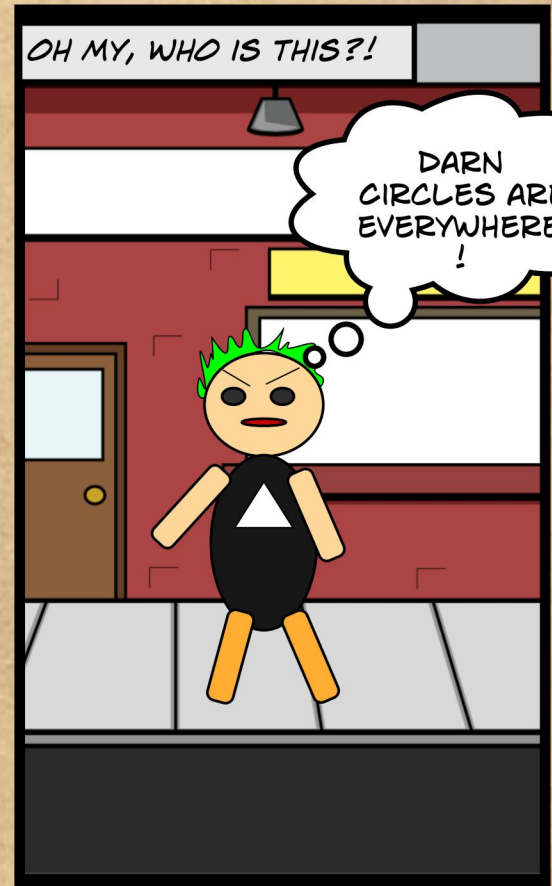
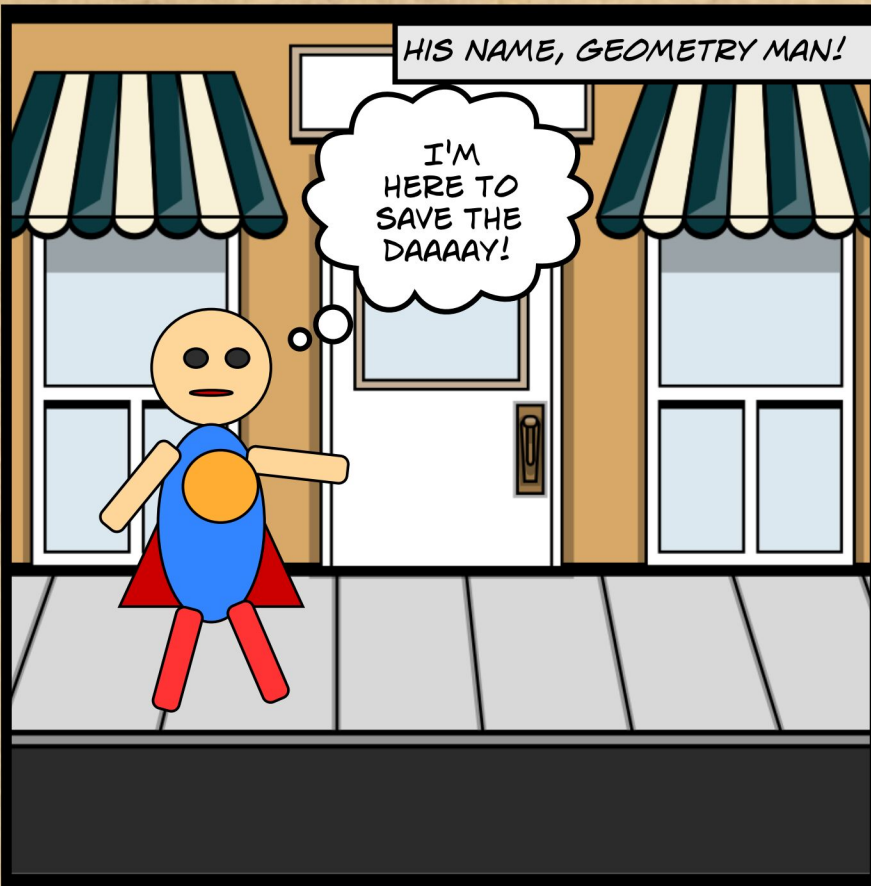
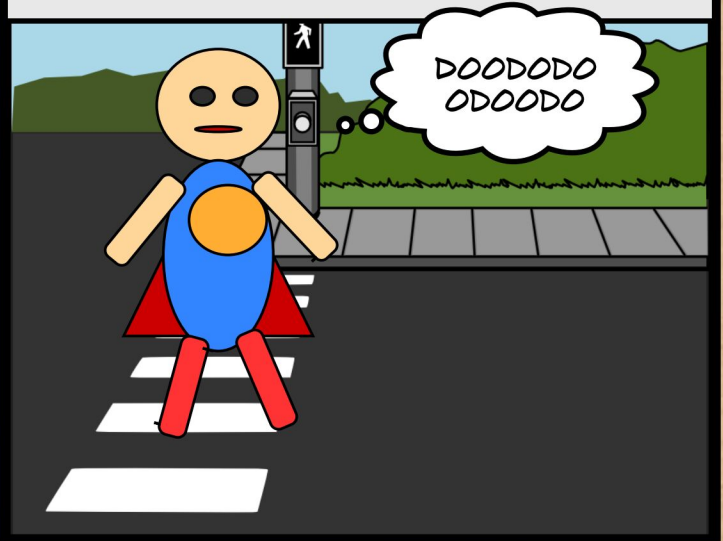


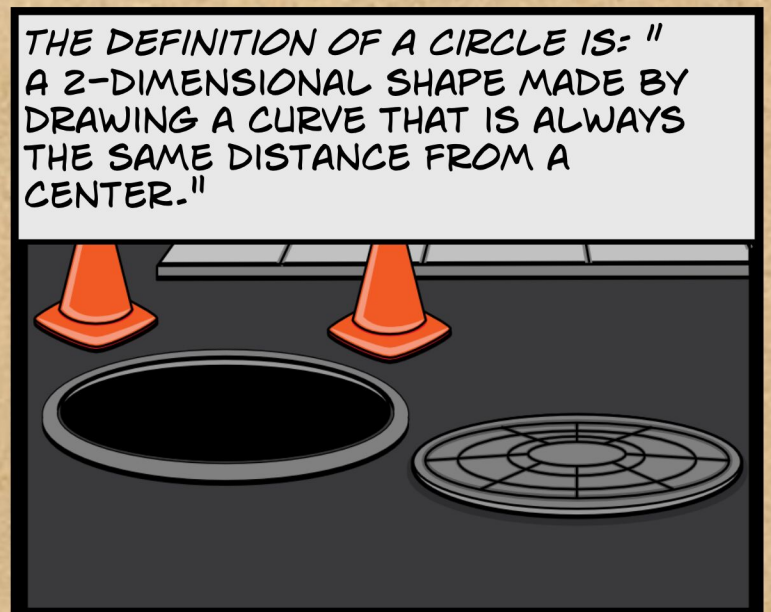
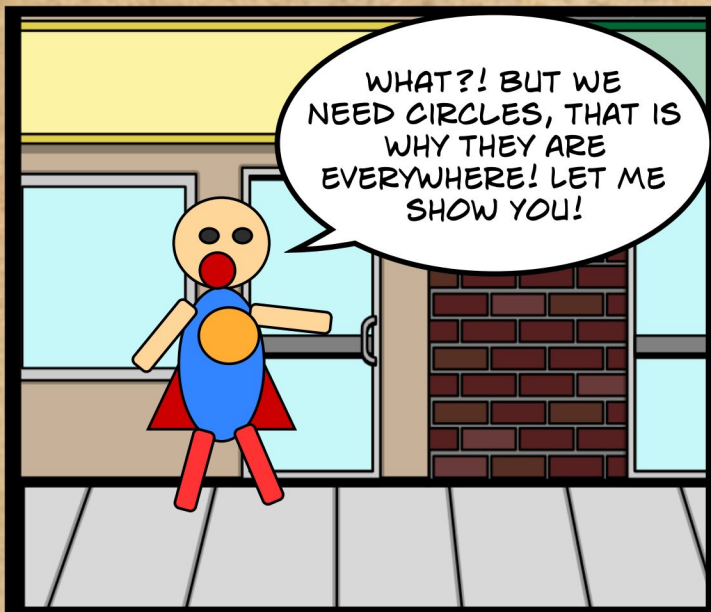
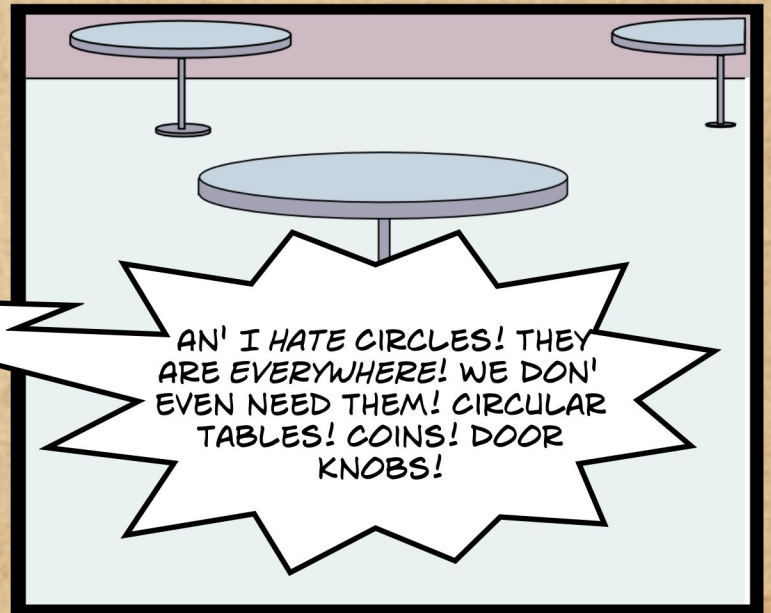
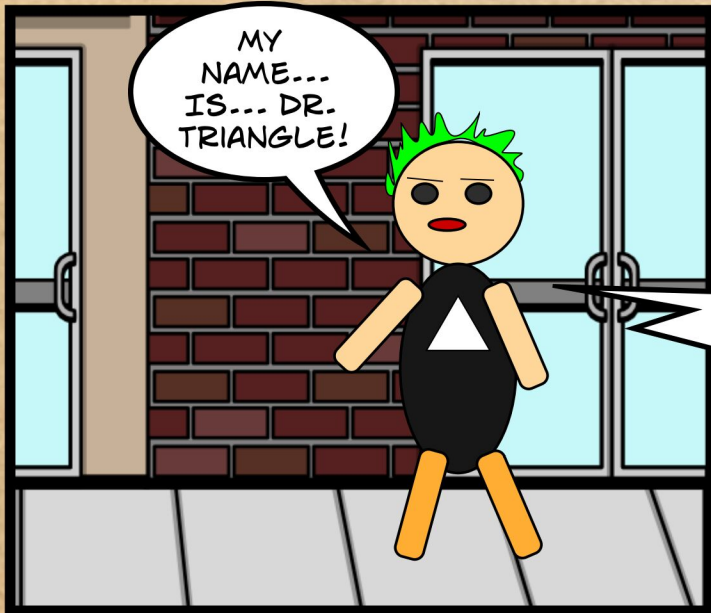
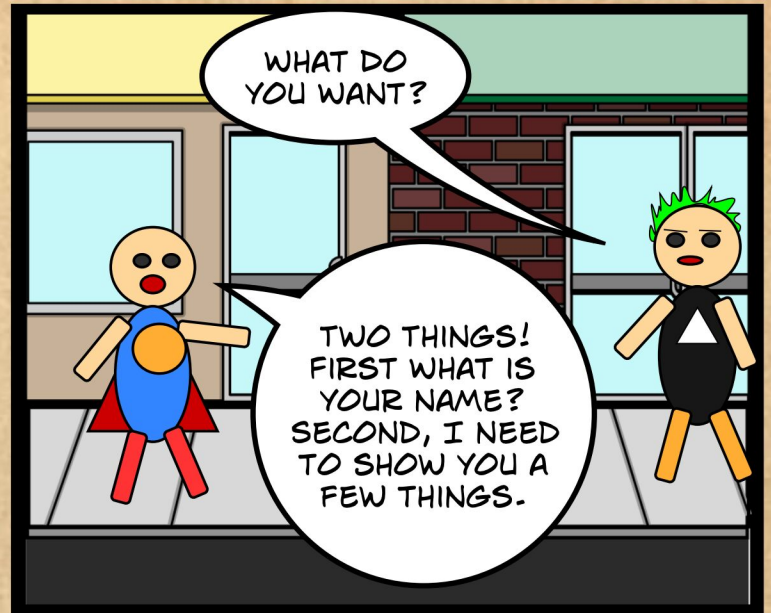
THE MYSTERY OF THE MISSING CIRCLES



THE CITIZENS OF METROPOLIS ARE NOTICING THAT CIRCLES HAVE STARTED GOING MISSING!

THERE IS ONLY ONE MAN WHO CAN SOLVE THIS PROBLEM!

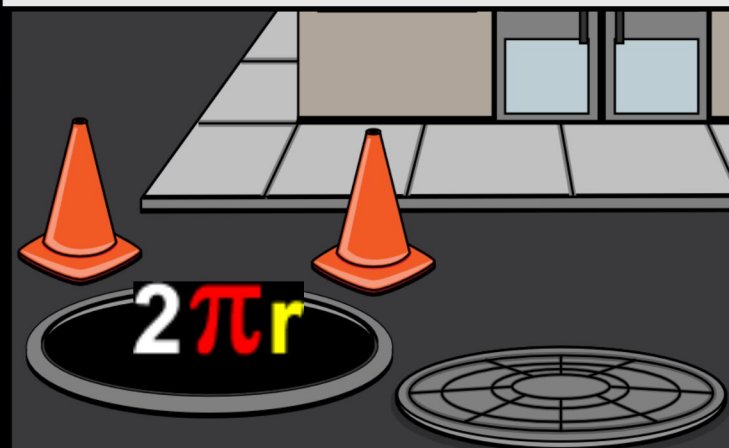




USING THIS MAN HOLE AS AN EXAMPLE. WE KNOW THAT IT IS BIG ENOUGH FOR A PERSON TO FIT THROUGH BECAUSE WE USE FORMULAS SUCH AS CIRCUMFERENCE OR "THE DISTANCE AROUND THE EDGE OF A CIRCLE (OR ANY CURVY SHAPE)."



THE FORMULA FOR CIRCUMFERENCE IS:



THE RADIUS OF A CIRCLE IS "THE DISTANCE FROM THE CENTER OF THE CIRCLE TO THE OUTSIDE EDGE."



LET'S ASSUME THAT THE RADIUS OF THE CIRCLE IS 2.5 FEET. NOW THE FORMULA WOULD LOOK LIKE THIS:

$$C = 2\pi(2.5)$$

TO WORK THE PROBLEM:

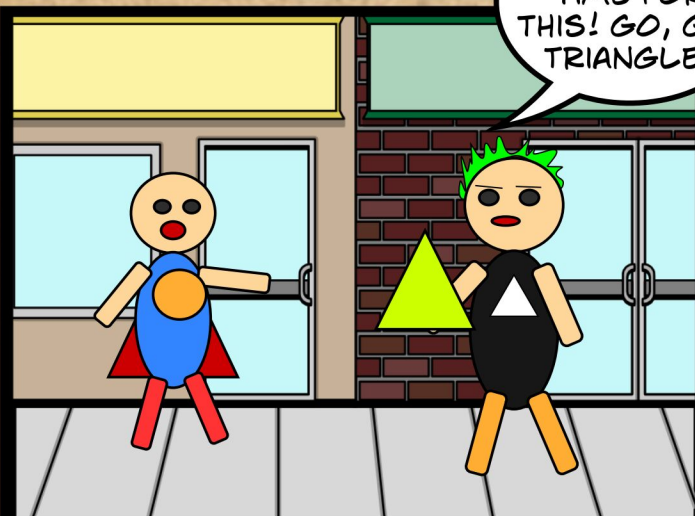
$$C = 2\pi(2.5)$$

$$= 5\pi \text{ OR } 15.707 \text{ FT}$$

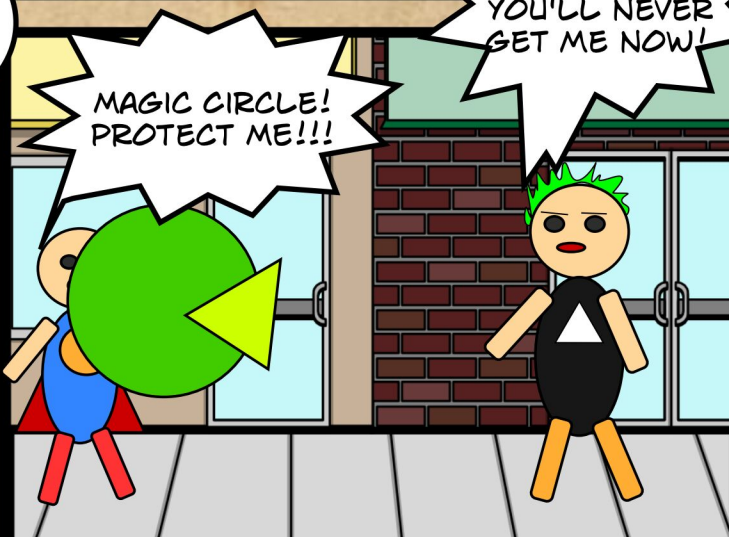
THIS WORKS IS THE CIRCUMFERENCE OF THE MAN HOLE IS BIGGER THAN THE CIRCUMFERENCE OF THE AVERAGE PERSON.

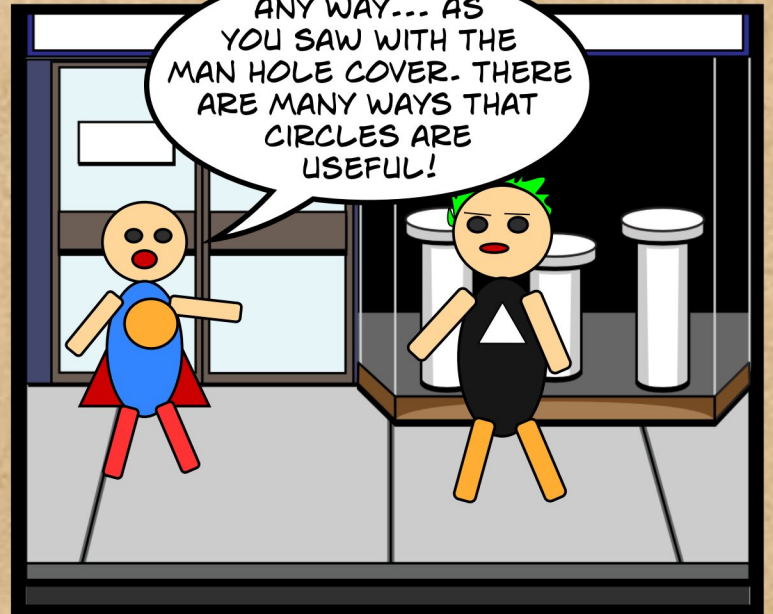
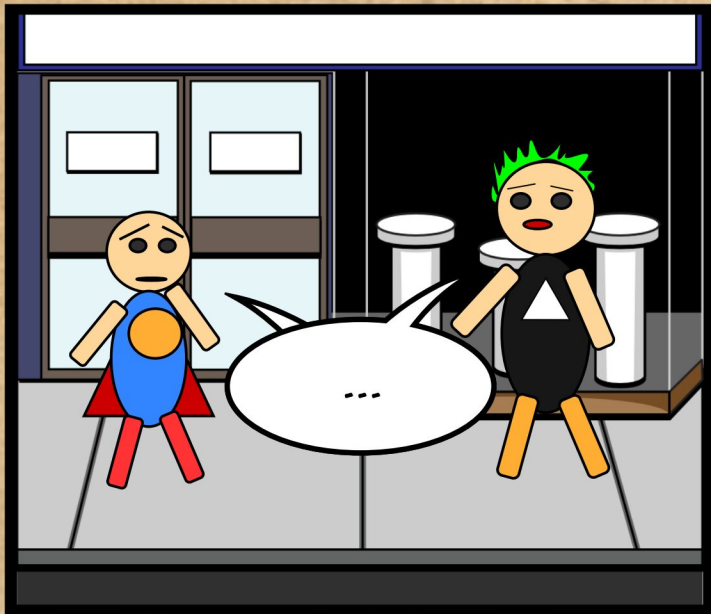
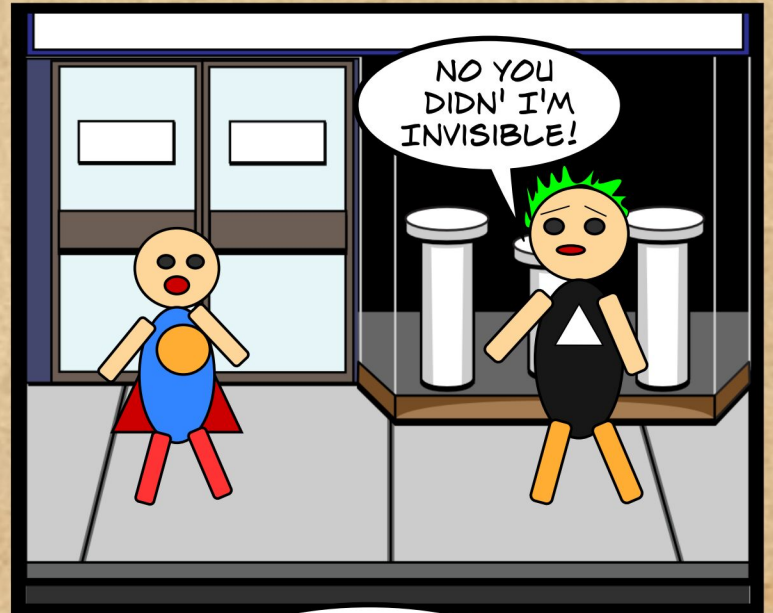
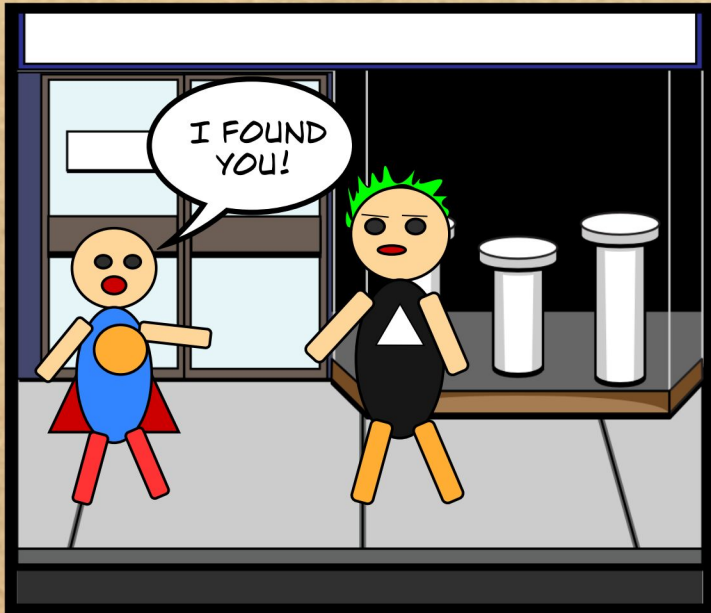
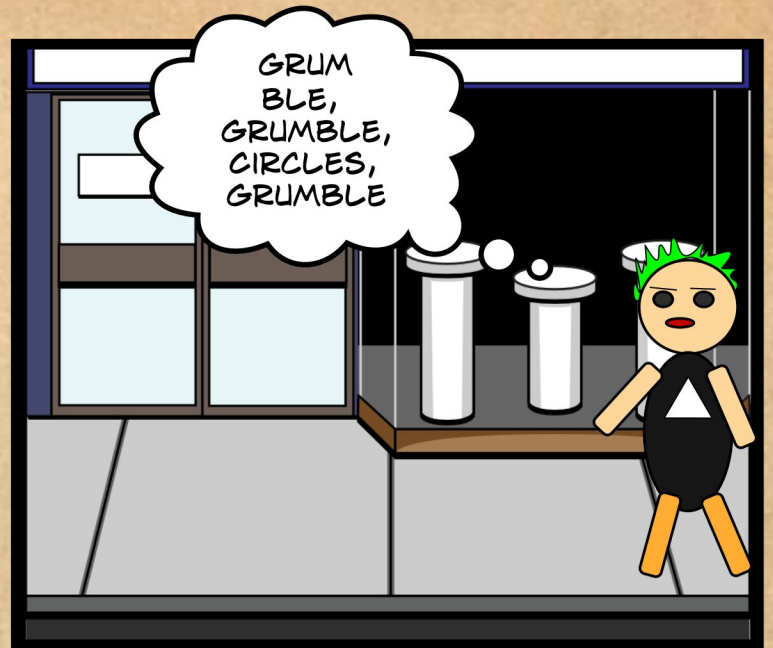
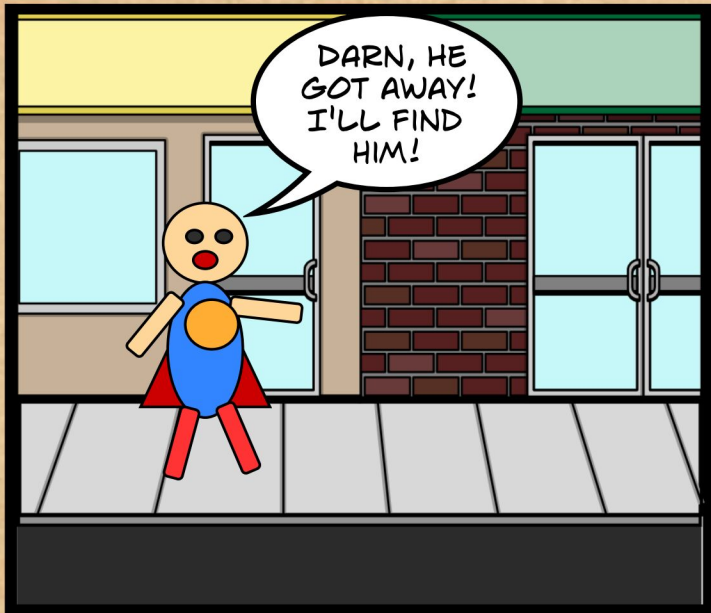


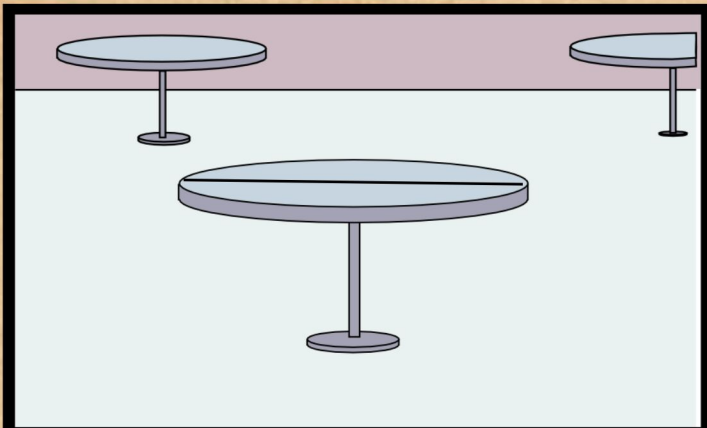
I DO N'T HAVE TIME FOR THIS! GO, GO, TRIANGLE!



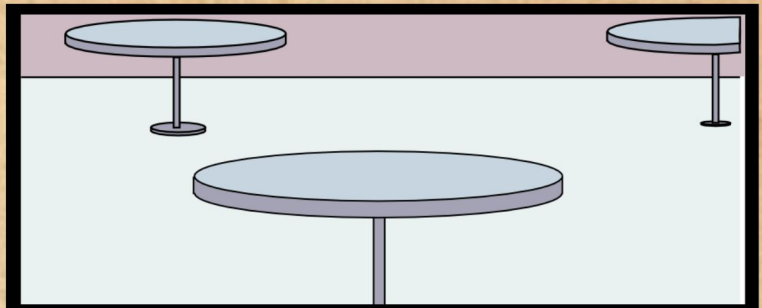
MAGIC CIRCLE! PROTECT ME!!!







NOW WE HAVE COME TO DIAMETER OR THE "LONGEST DISTANCE ACROSS A CIRCLE." AS WE SEE WITH THIS TABLE, USING DIAMETER WE CAN KNOW HOW FAR APART PEOPLE ARE SITTING!



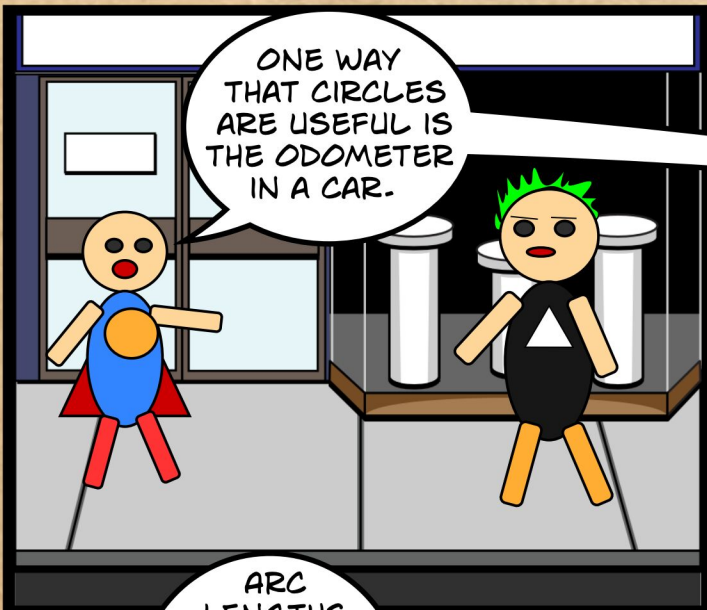
THE FORMULA FOR DIAMETER IS $2R$. TO SOLVE, LET'S ASSUME THAT THE RADIUS OF THE TABLE IS 3 FEET. SO THE FORMULA WOULD LOOK LIKE:

$$D=2R$$

$$D=2(3)$$

$$D=6\text{ FEET.}$$

SO THE TWO PEOPLE ARE SITTING 6 FEET APART FROM ONE ANOTHER.



ONE WAY THAT CIRCLES ARE USEFUL IS THE ODOMETER IN A CAR.



THIS FORMULA ONLY WORKS IF YOU HAVE THE CORRECT SIZE TIRES ON YOUR CAR THOUGH! IF YOU HAVE BIGGER TIRES YOU NEED TO ADJUST IT TO FIT.

THE FORMULA IS:
 $(\text{ACTUAL DISTANCE TRAVELED}) = ((\text{FINAL ODOMETER READING}) - (\text{INITIAL ODOMETER READING})) * (\text{ACTUAL TIRE DIAMETER}) / (\text{STANDARD TIRE DIAMETER}).$



ARC LENGTHS ARE ALSO HELPFUL! ESPECIALLY IN CARPENTRY!

"AN ARC OF A CIRCLE IS A SEGMENT OF THE CIRCUMFERENCE OF THE CIRCLE." FINDING THE LENGTH OF AN ARC, OR ARC LENGTH YOU CAN FIND IT USING RADIANES AND DEGREES.

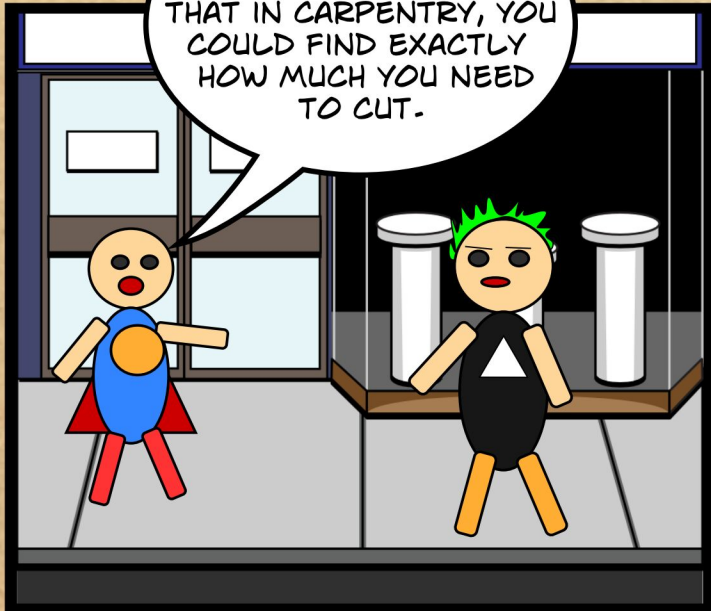
THE FORMULA FOR FINDING THE ARC LENGTH IN RADIANES IS: $AL = \theta r$.

THE FORMULA FOR FINDING THE ARC LENGTH IN DEGREES IS: $AL = \theta \frac{\pi}{180} r$.

LET'S DO AN EXAMPLE, SHALL WE?



YOU SEE, IF YOU DID SOMETHING LIKE THAT IN CARPENTRY, YOU COULD FIND EXACTLY HOW MUCH YOU NEED TO CUT.



WE ARE GOING TO TRY TO FIND THE ARC OF THE ANGLE.

RADIANS: $AL = \theta r$ THETA IS THE ANGLE, AND

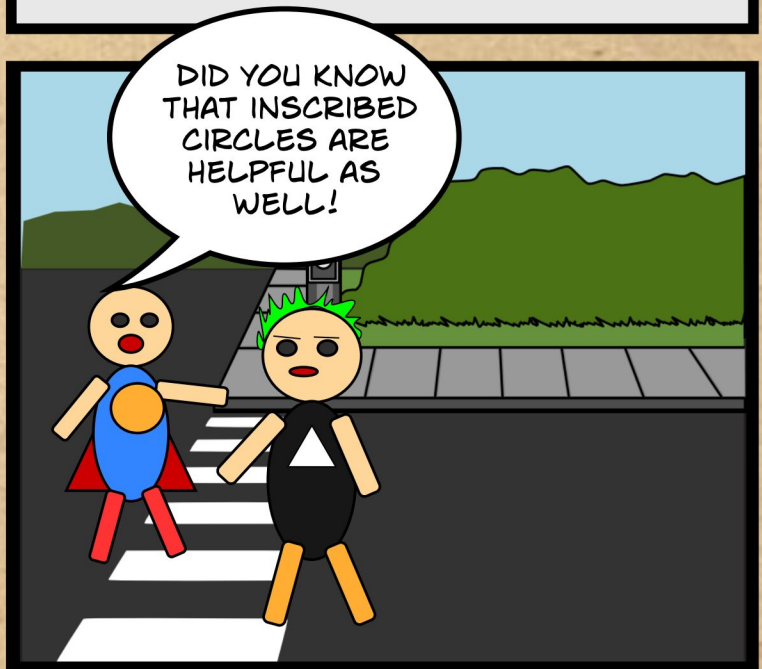
R IS THE RADIUS. LET'S ASSUME THAT THE RADIUS IS 2.5 FEET, AND THAT THETA IS 45 DEGREES.

$$AL = 45(2.5)$$

$$AL = 90$$

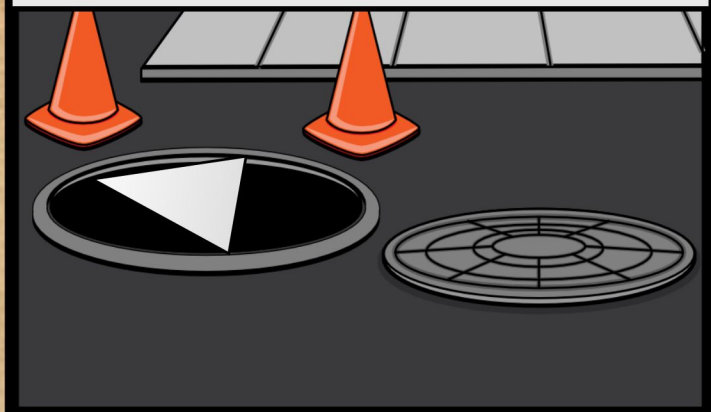
NOW TO DEGREES:

$$AL = \theta \frac{\pi}{180} r \quad 45(\pi/180)(2.5) = 1.57$$



DID YOU KNOW THAT INSCRIBED CIRCLES ARE HELPFUL AS WELL!

"AN INSCRIBED CIRCLE IS THE LARGEST POSSIBLE CIRCLE THAT CAN BE DRAWN ON THE INSIDE OF A PLANE FIGURE." OR IN OTHER WORDS, THE TRIANGLE IS ON THE INSIDE OF THE CIRCLE.



TO FIND THE RADIUS OF THE INSCRIBED CIRCLE. WE USE THE FORMULA:

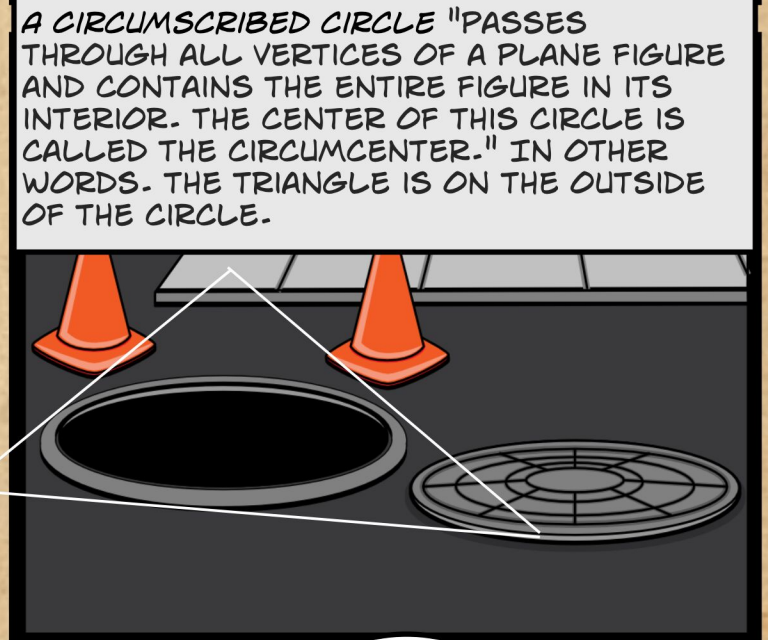
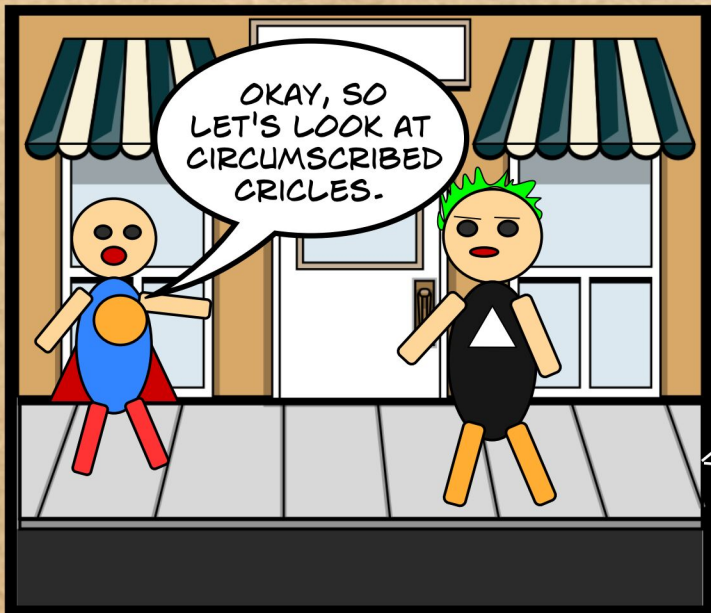
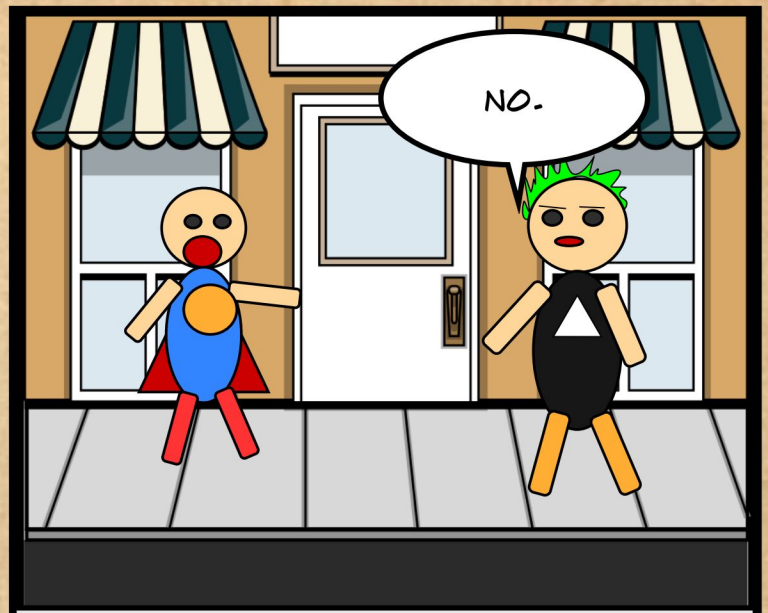
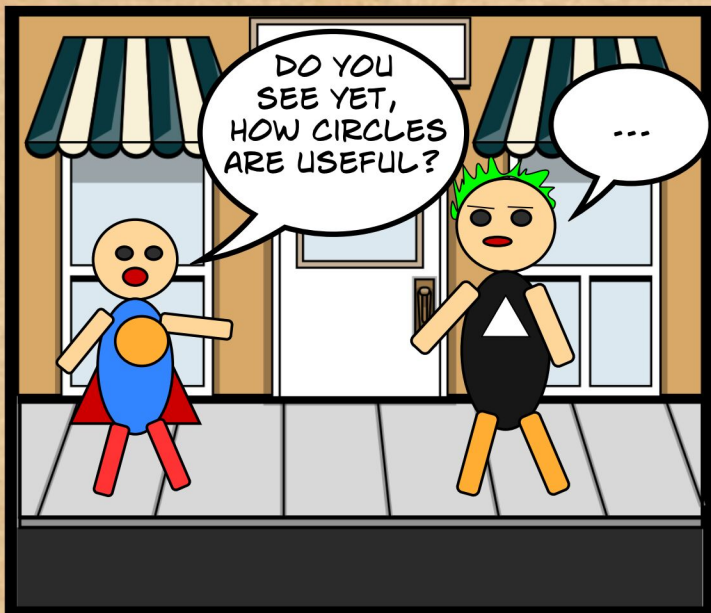
$$r = a \frac{\sqrt{3}}{6}$$

A IS ONE OF THE SIDES OF AN EQUILATERAL TRIANGLE. LET'S ASSUME A IS 8.7FT.

$$R = (8.7)(1.732/6)$$

$$R = 2.5\text{FT.}$$

SO THE RADIUS OF THE INSCRIBED CIRCLE, IN THIS CASE IS 2.5 FT, WHICH IS THE SAME AS THE REGULAR CIRCLE, BECAUSE THE CIRCLES ARE THE SAME SIZE.



TO FIND THE CIRCUMSCRIBED RADIUS, WE USE THE FORMULA

$$R = a \frac{\sqrt{3}}{3}$$

A IS AGAIN, A SIDE ON THE TRIANGLE. LETS SAY A IS 9.

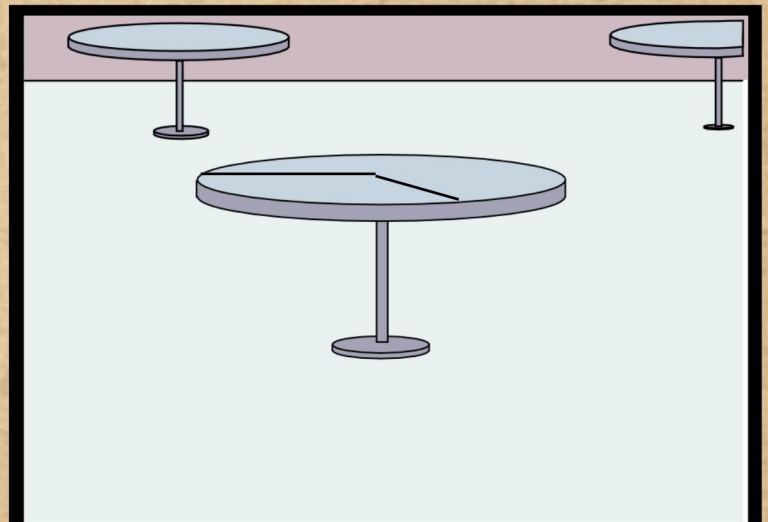
$R = 9(1.732/3)$
 $R = 5.196$

THIS CAN BE HELPFUL IN MANY ASPECTS OF LIFE, LIKE CARPENTRY, OR ART.





"A SECTOR OF A CIRCLE IS A PIE SHAPED PORTION OF THE AREA OF THE CIRCLE. TECHNICALLY, THE PIECE OF PIE IS BETWEEN TWO SEGMENTS COMING OUT OF THE CENTER OF THE CIRCLE." IT'S ALMOST LIKE AN ARC LENGTH!



SO THAT IS A SECTOR OF THE TABLE!

THE FORMULA TO FIND THE AREA OF A SECTOR IN RADIANS IS:

$$SA = \frac{\theta}{2} r^2 \quad \text{THETA IS THE ANGLE OF THE CIRCLE, AND R IS THE RADIUS.}$$

THE CIRCLE, AND R IS THE RADIUS.

LET'S ASSUME THAT THE RADIUS IS 3 FEET AND THETA IS 45 DEGREES.

$$SA = 45/2(3*3)$$

$$SA = 2.5(9)$$

$$SA = 22.5 \text{ FEET}$$

NOW IF WE WANTED TO SAY, BUY A TABLE TO PUT ON A CORNER, THAN WE KNOW HOW TO FIND THE PERFECT TABLE.

THE FORMULA TO FIND THE AREA OF A SECTOR IN DEGREES IS:

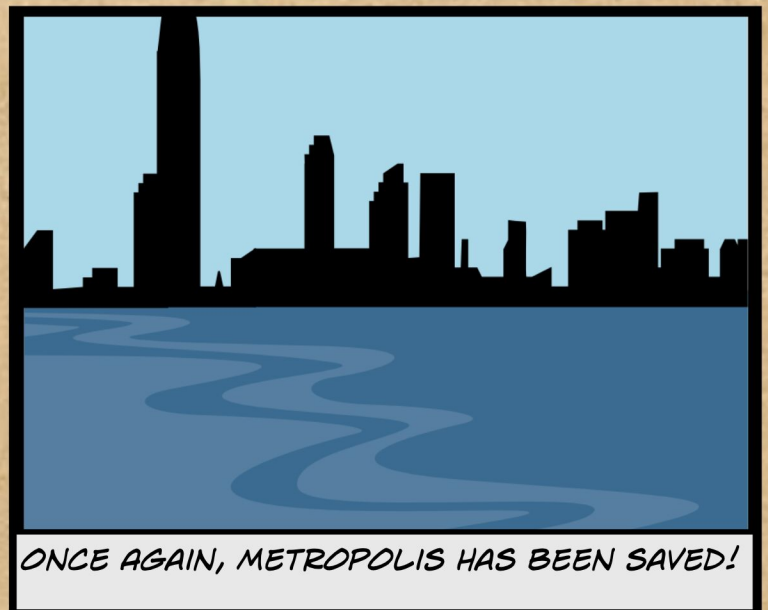
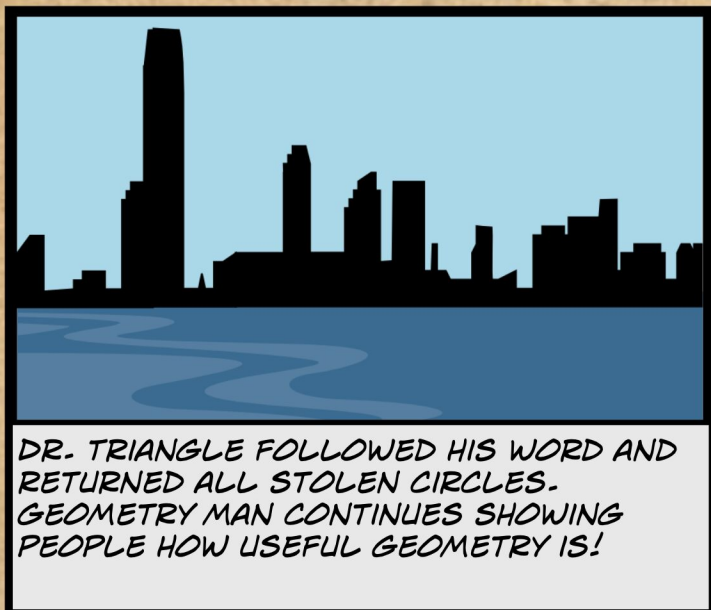
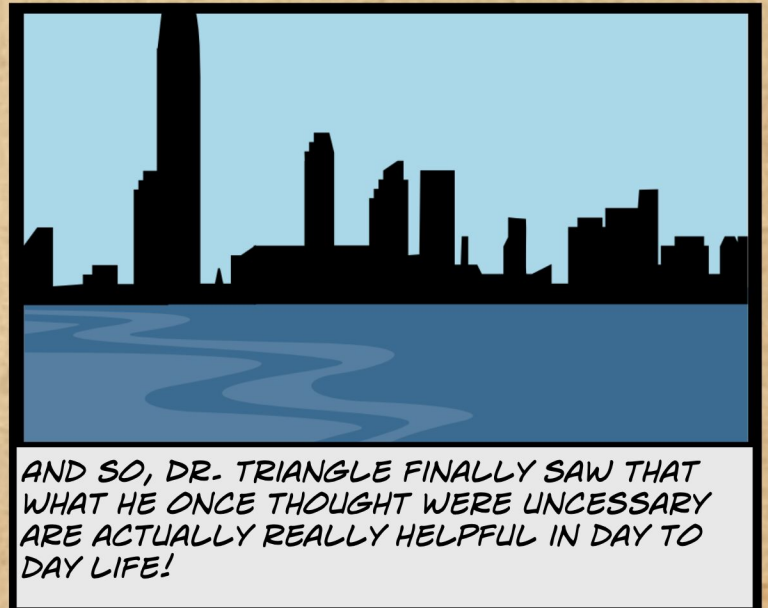
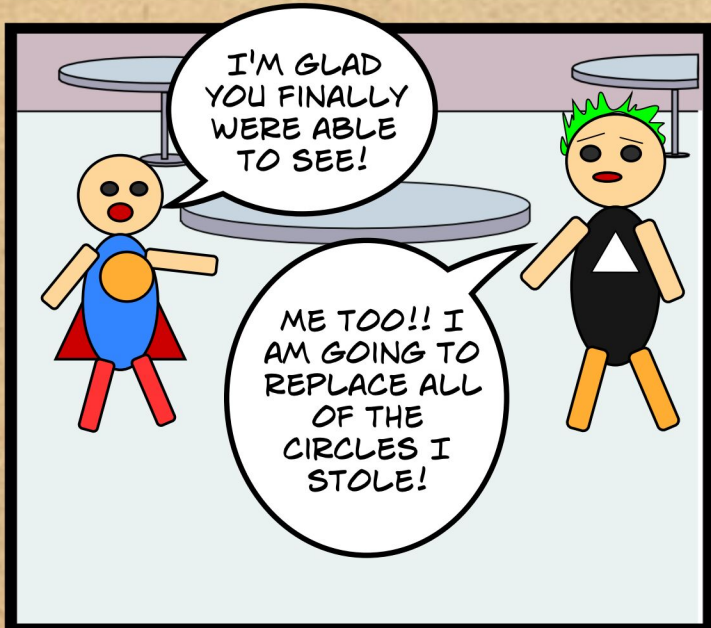
$$\frac{\theta}{360} \pi r^2$$

LET'S KEEP THE SAME THETA AND RADIUS.

$$SA = 45/360(\pi)(3*3)$$

$$SA = .125(\pi)(9)$$

$$SA = 28.27$$



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